## FLUID POWER FORMULAS

## General fluid power guidelines

Horsepower for driving a pump: For every 1 hp of drive, the equivalent of $1 \mathrm{gpm} @ 1,500 \mathrm{psi}$ can be produced.
Horsepower for idling a pump: To idle a pump when it is unloaded will require about $5 \%$ of its full rated power.
Wattage for heating hydraulic oil: Each watt will raise the temperature of 1 gallon of oil by $1^{\circ} \mathrm{F}$ per hour.
Flow velocity in hydraulic lines: Pump suction lines 2 to 4 feet per second, pressure lines up to $500 \mathrm{psi}-10$ to 15 ft ./sec., pressure lines 500 to 3,000 psi - 15 to 20 ft ./sec.; all oil lines in air-over-oil systems; 4 ft ./sec.
Basis formulas

| Formula for: | Word formula: | Letter formula: |
| :--- | :---: | :---: |
| FLUID PRESSURE <br> In Pounds/Square Inch | Pressure $=\frac{\text { Force (Pounds) }}{\text { Unit Area (Square Inches) }}$ | $\mathrm{P}=\mathrm{F} / \mathrm{A}$ or psi $=\mathrm{F} / \mathrm{A}$ |
| FLUID FLOW RATE <br> In Gallons/Minute | Flow Rate $=\frac{\text { Volume (Gallons) }}{\text { Unit Time (Minute) }}$ | $\mathrm{Q}=\mathrm{V} / \mathrm{T}$ |
| FLUID POWER <br> In Horsepower | Horsepower $=\frac{\text { Pressure (psi) } \times \text { Flow (GPM) }}{1714}$ | $\mathrm{hp}=\mathrm{PQ} / 1714$ |

## Fluid formulas

| Formula for: | Word formula: | Letter formula: |
| :---: | :---: | :---: |
| VELOCITY THROUGH PIPING In Feet/Second Velocity | $\text { Velocity }=\frac{.3208 \times \text { Flow Rate through I.D. (GPM) }}{\text { Internal Area (Square Inches) }}$ | $\mathrm{V}=.3208 \mathrm{Q} / \mathrm{A}$ |
| COMPRESSIBILITY OF OIL In Additional Required Oil to Reach Pressure | Additional Volume $=\frac{\text { Pressure (psi) } \times \text { Volume of Oil under Pressure }}{250,000 \text { (approx.) }}$ | $\mathrm{V}_{\mathrm{A}}=\mathrm{PV} / 250,000$ (approx.) |
| COMPRESSIBILITY OF A FLUID | $\text { Compressibility }=\frac{1}{\text { Bulk Modulus of the Fluid }}$ | $C(B)=1 / B M$ |
| SPECIFIC GRAVITY OF A FLUID | $\text { Specific Gravity }=\frac{\text { Weight of One Cubic Foot of Fluid }}{\text { Weight of One Cubic Foot of Water }}$ | SG = W/62.4283 |
| VALVE (Cv) FLOW FACTOR | $\text { Valve Factor }=\frac{\text { Flow Rate (GPM) } \sqrt{\text { Specific Gravity }}}{\sqrt{\text { Pressure Drop (psi) }}}$ | $C V=(Q \sqrt{S G}) /(\sqrt{\Delta p})$ |
|  | For Viscosities of 32 to 100 Saybolt Universal Seconds: $\text { Centistokes }=.2253 \times \text { SUS }-\left(\frac{194.4}{\text { SUS }}\right)$ | CS = . 2253 SUS - (194.4/SUS) |
| VISCOSITY IN CENTISTOKES | For Viscosities of 100 to 240 Saybolt Universal Seconds: $\text { Centistokes }=.2193 \times \text { SUS }-\left(\frac{134.6}{\text { SUS }}\right)$ | CS = . 2193 SUS - (134.6/SUS) |
|  | For Viscosities greater than 240 Saybolt Universal Seconds: $\text { Centistokes }=\left(\frac{\text { SUS }}{4.635}\right)$ | CS $=$ SUS/4.635 |

Note: Saybolt Universal Seconds can also be abbreviated as SSU.

## Pump formulas

| Formula for: | Word formula: | Letter formula: |
| :---: | :---: | :---: |
| PUMP OUTLET FLOW In Gallons/Minute | $\text { Flow }=\frac{\mathrm{rpm} \times \text { Pump Displacement (Cu. In./Ref.) }}{231}$ | $Q=n d / 231$ |
| PUMP INPUT POWER In Horsepower Required | $\text { Horsepower Input }=\frac{\text { Flow Rate Output (GPM) } \times \text { Pressure (psi) }}{1714 \text { Efficiency (Overall) }}$ | $H P_{\text {in }}=$ QP/1714Eff. or (GPM x psi)/1714Eff. |
| PUMP EFFICIENCY | Overall Efficiency $=\left(\frac{\text { Output Horsepower }}{\text { Input Horsepower }}\right) \times 100$ | $\mathrm{Eff}_{\text {ov }}=\left(\mathrm{HP}_{\text {out }} / / \mathrm{HP}_{\text {in }}\right) \times 100$ |
|  | Overall Efficiency = Volumetric Eff. x Mechanical Eff. | $\mathrm{Eff}_{\mathrm{ov}}=\mathrm{Eff}_{\text {vol }} \times \mathrm{Eff}_{\text {mech }}$ |
| PUMP EFFICIENCY <br> Volumetric in Percent | $\text { Volumetric Efficiency }=\frac{\text { Actual Flow Rate Output (GPM) }}{\text { Theoretical Flow Rate Output (GPM) }} \times 100$ | $E f f_{\text {vol }}=\left(Q_{\text {act }} / Q_{\text {theo }}\right) \times 100$ |
| PUMP EFFICIENCY Mechanical in Percent | $\text { Mechanical Efficiency }=\frac{\text { Actual Torque to Drive }}{\text { Theoretical Torque to Drive }} \times 100$ | $E f f_{\text {mech }}=\left(T_{\text {act }} / T_{\text {theo }}\right) \times 100$ |

## Actuator formulas

| Formula for: | Word formula: | Letter formula: |
| :---: | :---: | :---: |
| CYLINDER AREA <br> In Square Inches | Area $=\Pi \times$ Radius ${ }^{2}$ (Inches) | $A=\pi r^{2}$ |
|  | Area $=(\mathrm{P} / 4) \times$ Diameter $^{2}$ (Inches) | $\mathrm{A}=\left(\Pi D^{2}\right) / 4$ or $\mathrm{A}=.785 \mathrm{D}^{2}$ |
| CYLINDER FORCE <br> In Pounds, Push or Pull | Area $=$ Pressure (psi) $\times$ Net Area (sq in.) | $\mathrm{F}=\mathrm{psi} \times \mathrm{A}$ or $\mathrm{F}=\mathrm{PA}$ |
| CYLINDER VELOCITY or SPEED In Feet/Second | $\text { Velocity }=\frac{231 \times \text { Flow Rate (GPM) }}{12 \times 60 \times \text { Net Area (sq in.) }}$ | $\mathrm{V}=231 \mathrm{Q} / 720 \mathrm{~A}$ or $\mathrm{v}=.3208 \mathrm{Q} / \mathrm{A}$ |
| CYLINDER VOLUME CAPACITY In Gallons of Fluid | Volume $=\frac{\Pi \times \text { Radius }^{2} \text { (in.) } \times \text { Stroke (in.) }}{231}$ | $\mathrm{V}=\left(\Pi \mathrm{r}^{2} \mathrm{~L}\right) / 231$ |
|  | $\text { Volume }=\frac{\text { Net Area (sq. in.) } \times \text { Stroke (in.) }}{231}$ | $\mathrm{V}=(\mathrm{AL}) / 231$ |
| CYLINDER FLOW RATE In Gallons/Minute | $\text { Flow Rate }=\frac{12 \times 60 \times \text { Velocity }(\mathrm{Ft} / \mathrm{Sec}) \times \text { Net Area (sq. in.) }}{231}$ | $Q=(720 v A) 231$ or $Q=3.117 \mathrm{vA}$ |
| FLUID MOTOR TORQUE In Inch Pounds | $\text { Torque }=\frac{\text { Pressure (psi) } \times \text { F.M. Displacement (Cu. In./Rev.) }}{2 \Pi}$ | $\mathrm{T}=\mathrm{psi} \mathrm{d} / 2 \mathrm{~T}$ or $\mathrm{T}=\mathrm{Pd} / 2 \mathrm{~T}$ |
|  | $\text { Torque }=\frac{\text { Horsepower } \times 63025}{\mathrm{rpm}}$ | $\mathrm{T}=63025 \mathrm{hp} / \mathrm{n}$ |
|  | $\text { Torque }=\frac{\text { Flow Rate }(\text { GPM }) \times \text { Pressure }(\mathrm{psi}) \times 36.77}{\mathrm{rpm}}$ | $\mathrm{T}=36.77 \mathrm{QP} / \mathrm{n}$ or $\mathrm{T}=36.77 \mathrm{Qpsi} / \mathrm{n}$ |
| FLUID MOTOR TORQUE/100 psi In Inch Pounds | $\frac{\text { Torque }}{100}=\frac{\text { F.M. Displacement (Cu. In./Rev.) }}{.0628}$ | $\mathrm{T}_{100 \text { si }}=\mathrm{d} / .0628$ |
| FLUID MOTOR SPEED In Revolutions/Minute | $\text { Speed }=\frac{231 \text { Flow Rate (GPM) }}{\text { F.M. Displacement (Cu. In./Rev.) }}$ | $\mathrm{n}=231 \mathrm{Q} / \mathrm{d}$ |
| FLUID MOTOR POWER In Horsepower Output | $\text { Horsepower }=\frac{\text { Torque Output (Inch Pounds) } \times \text { rpm }}{63025}$ | $\mathrm{hp}=\mathrm{Tn} / 63025$ |

## Thermal formulas

| Formula for: | Word formula: | Letter formula: |
| :---: | :---: | :---: |
| RESERVOIR COOLING CAPACITY Based on Adequate Air Circulation | Heat (BTU/Hr) $=2 \times$ Temperature Difference Between Reservoir Walls and Air (F) x Area of Reservoir (Sq. Ft.) | $\mathrm{BTU} / \mathrm{Hr}=2.0 \times$ DT $\times$ A |
| HEAT IN HYDRAULIC OIL Due to System Inefficiency (SG=.89-.92) | Heat (BTU/Hr) = Flow Rate (GPM) $\times 210 \times$ Temp. Difference (F) | $\mathrm{BTU} / \mathrm{Hr}=\mathrm{Q} \times 210 \times \mathrm{DT}$ |
| HEAT IN FRESH WATER | Heat (BTU/Hr) = Flow Rate (GPM) $\times 500 \times$ Temp. Difference (F) | BTU/Hr $=Q \times 500 \times$ DT |

Note: One British Thermal Unit (BTU) is the amount of heat required to raise the temperature of one pound of water one degree Fahrenheit. One Horsepower = $2545 \mathrm{BTU} / \mathrm{Hr}$.

## Accumulator formulas

| Formula for: | Word formula: | Letter formula: |
| :---: | :---: | :---: |
| PRESSURE OR VOLUME <br> With Constant T (Temperature) | Original Pressure x Original Volume = Final Pressure x Final Volume | $\mathrm{P}_{1} \mathrm{~V}_{1}=\mathrm{P}_{2} \mathrm{~V}_{2}$ Isothermic |
| PRESSURE OR TEMPERATURE With Constant V (Volume) | Original Pressure $\times$ Final Temp. $=$ Final Pressure $\times$ Original Temp | $P_{1} T_{2}=P_{2} T_{1}$ Isochoric |
| VOLUME OR TEMPERATURE <br> With Constant P (Pressure) | Original Volume $\times$ Final Temp. = Final Volume $\times$ Original Temp. | $\mathrm{V}_{1} \mathrm{~T}_{2}=\mathrm{V}_{2} \mathrm{~T}_{1}$ Isobaric |
| PRESSURE OR VOLUME With Temp. Change Due to Heat of Compression | Original Press. $\times$ Original Volume ${ }^{n}=$ Final Press. $\times$ Final Volume ${ }^{\text {n }}$ | $P_{1} V_{1}{ }^{n}=P_{2} V_{2}{ }^{n}$ |
|  | Final Temp./Orig. Temp. $=(\text { Orig. Vol./Final Vol. })^{n-1}=(\text { Final Press./Orig. Press. })^{(n-1) / n}$ | $\mathrm{T}_{2} / \mathrm{T}_{1}=\left(\mathrm{V}_{1} / V_{2}\right)^{n-1}=\left(\mathrm{P}_{2} / \mathrm{P}_{1}\right)^{(n-1) / n}$ |

## Volume and capacity equivalents

|  | Cubic inches | Cubic feet | Cubic centimeters | Liters | U.S. gallons | Imperial gallons | Water at max density |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  | Pounds of water | Kilograms of water |
| Cubic inches | 1 | 0.0005787 | 16.384 | 0.016384 | 0.004329 | 0.0036065 | 0.361275 | 0.0163872 |
| Cubic feet | 1728 | 1 | 0.037037 | 28.317 | 7.48052 | 6.23210 | 62.4283 | 28.3170 |
| Cubic centimeters | 0.0610 | 0.0000353 | 1 | 0.001 | 0.000264 | 0.000220 | 0.002205 | 0.0001 |
| Liters | 61.0234 | 0.0353145 | 0.001308 | 1 | 0.264170 | 0.220083 | 2.20462 | 1 |
| U.S. gallons | 231 | 0.133681 | 0.004951 | 3.78543 | 1 | 0.833111 | 8.34545 | 3.78543 |
| Imperial gallons | 277.274 | 0.160459 | 0.0059429 | 4.54374 | 1.20032 | 1 | 10.0172 | 4.54373 |
| Pounds of water | 27.6798 | 0.0160184 | 0.0005929 | 0.453592 | 0.119825 | 0.0998281 | 1 | 0.453593 |

